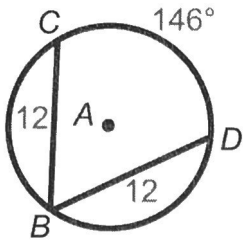


Find the value of the indicated arc in $\odot A$.

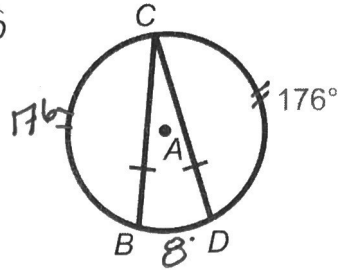
1. $m\widehat{BC}$

107°



$$\begin{array}{r} 360 \\ -146 \\ \hline 214 \\ \hline 2 \end{array}$$

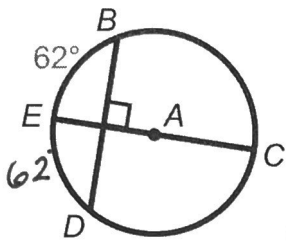
2. $m\widehat{BD}$



$$\begin{array}{r} 360 \\ -176 \\ -176 \\ \hline 8 \end{array}$$

3. $m\widehat{BC}$

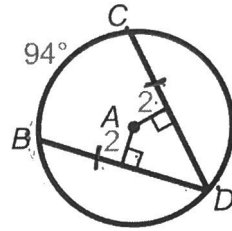
118°



$$\begin{array}{r} 360 \\ -62 \\ -62 \\ \hline 236 \\ \hline 2 = 118 \end{array}$$

or
 $180 - 62 = 118$

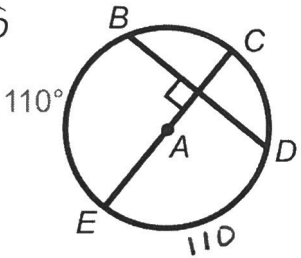
4. $m\widehat{BD}$



$$\begin{array}{r} 360 \\ -94 \\ \hline 266 \\ \hline 2 = 133 \end{array}$$

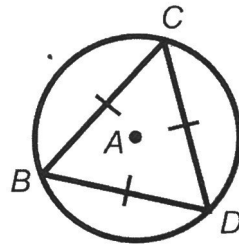
5. $m\widehat{BD}$

140°



$$\begin{array}{r} 360 \\ -110 \\ -110 \\ \hline 140 \end{array}$$

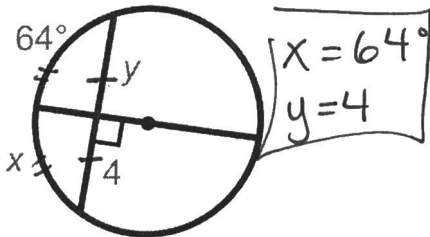
6. $m\widehat{BD}$



$$\frac{360}{3} = 120^\circ$$

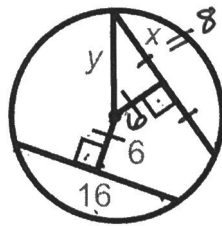
Find the value of x and/or y.

7.



$x = 64^\circ$
 $y = 4$

8.



$x = 8$

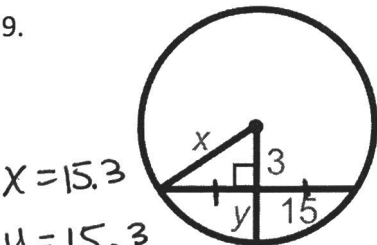
$$6^2 + 8^2 = y^2$$

$$36 + 64 = y^2$$

$$100 = y^2$$

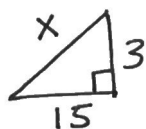
$$\sqrt{100} = 10 = y$$

9.



$x = 15.3$
 $y = 15.3$
 -3

12.3

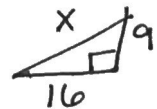
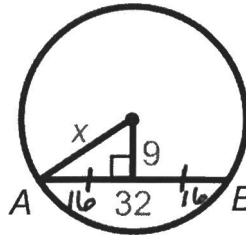


$$3^2 + 15^2 = x^2$$

$$234 = x^2$$

$$15.3 = x$$

10. $AB = 32$

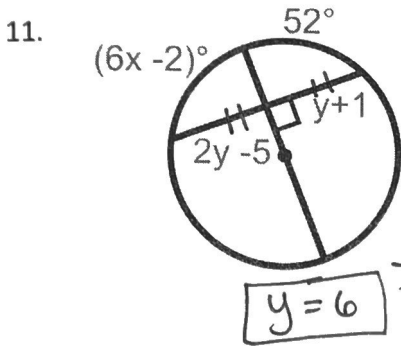


$$9^2 + 16^2 = x^2$$

$$\sqrt{337} = \sqrt{x^2}$$

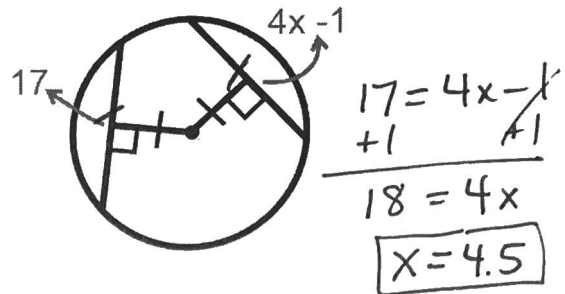
$$x \approx 18.4$$

radius total
Partial Radius

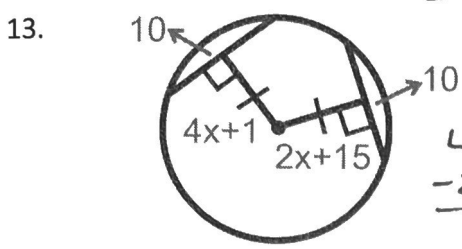


12. $52 = 6x - 2$
 $54 = 6x$
 $9 = x$

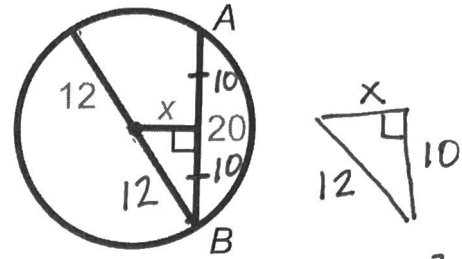
$y + 1 = 2y - 5$
 $-y \quad -y$
 $1 = y - 5$
 $+5 \quad +5$
 $6 = y$



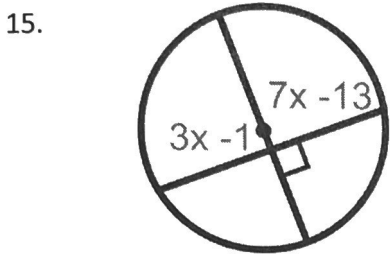
$17 = 4x - 1$
 $+1 \quad +1$
 $18 = 4x$
 $x = 4.5$



14. $4x + 1 = 2x + 15$
 $-2x \quad -2x$
 $2x = 14$
 $x = 7$

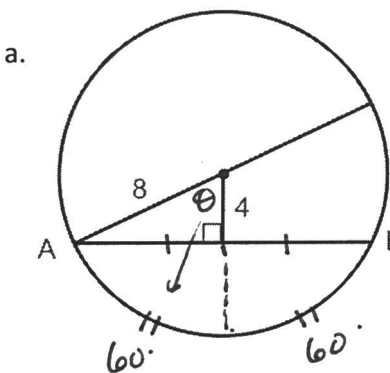


$x^2 + 10^2 = 12^2$
 $x^2 + 100 = 144$
 $-100 \quad -100$
 $x^2 = 44$
 $x \approx 6.6$

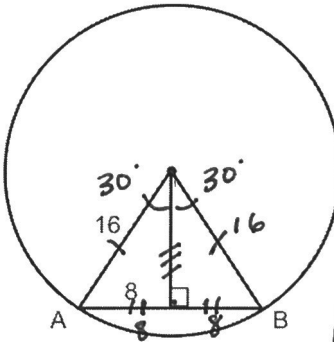


$3x - 1 = 7x - 13$
 $+13 \quad -3x$
 $12 = 4x$
 $\frac{12}{4} = \frac{4x}{4}$
 $x = 3$

16. Find the measure of \widehat{AB} in each diagram below.

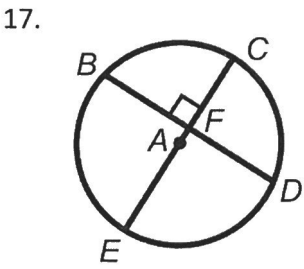


$\cos \theta = \frac{4}{8}$
 $\theta = 60^\circ$
 120°

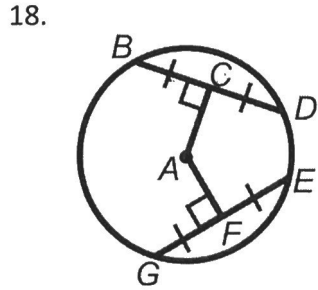


$\sin \theta = \frac{8}{16} = 30^\circ$
 $m\widehat{AB} = 60^\circ$

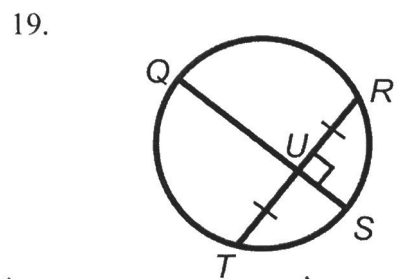
In problems 17-19, what can you conclude about the picture? State a theorem that justifies your answer. You may assume that A is the center of the circle.



Diameter-chord Thm.
 \overline{CE} is \perp to Chord \overline{BD}
 therefore $\overline{BF} \cong \overline{FD}$



radius is a \perp bisector to a chord.
 Equidistant Chord Theorem
 $\overline{AC} \cong \overline{AF}$



Diameter-Chord Theorem
 \overline{QS} is a diameter